

1. **Study this information carefully.**

Is cardiovascular fitness (as measured by time to exhaustion running on a treadmill) related to an athlete's performance in a 20-km ski race?

x = treadmill run time to exhaustion (min)

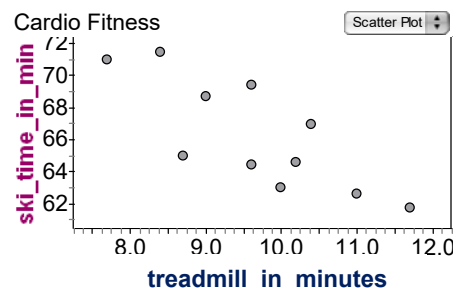
y = 20-km ski time (min)

Predictor	Coef	StDev	T	P
Constant	88.796	5.750	15.44	0.000
treadmill	-2.3355	0.5911	-3.95	0.003

$S = 2.188$ $R\text{-Sq} = 63.04\%$ $R\text{-Sq (adj)} = 59.3\%$

Analysis of Variance

Source	DF	SS	MS	F	P
Regression	1	74.630	74.630	15.58	0.003
Residual Error	9	43.097	4.789		
Total	10	117.727			



A) What is the slope for the regression equation? **-2.3355** y-intercept? **88.796**

B) Write the regression equation (LSRL) in context.

predicted ski time = 88.796 - 2.3355(treadmill time)

C) Interpret the slope in context.

**For each increase of 1 minute in treadmill time,
the model predicts a decrease of 2.3355 minutes in ski time.**

2. It is certainly plausible that workers are less likely to quit their jobs when wages are high than when they are low. Let x = average hourly wage and y = quit rate (number of employees per 100 who left jobs during 1996.) The scatterplot of the data has a linear form.

Predictor	Coef	Stdev	t-ratio	p
Coefficient	4.8615	0.5201	9.35	0.000
wage	-0.3466	0.0587	-5.91	0.000

$s = 0.4862$ $R\text{-sq} = 72.9\%$ $R\text{-sq(adj)} = 70.8\%$

A) What is the slope for the regression equation? **-0.3466** y-intercept? **4.8615**

B) Write the regression equation in context.

predicted quit rate = 4.8615 - 0.3466(average hourly wage)

C) Interpret the slope in context.

**For each increase of 1 "unit" in average hourly wage,
we predict a decrease of 0.3466 in employee quit rate.**

D) What is the correlation coefficient? Interpret in context.

$r = -0.854$

There is a fairly strong, negative, association between average hourly wage and quit rate.

E) Interpret $R\text{-sq}$ in context.

**72.9% of the variability in quit rate can be explained by the linear model
for average hourly wage and quit rate.**

F) Interpret s_e in context.

0.4862 is the typical amount that the predicted quit rate deviates from the actual (observed) quit rate.

3. Hand span is the distance from the tip of a person's little finger to the tip of their thumb when the hand is spread out to its fullest. Researchers gathered data in order to predict a person's left hand span using their right hand span. The scatterplot of the data has a linear form. This is a computer output of their findings.

Dependent variable: Left hand span

Predictor	Coef	SECoef	T	P
RtSpan	0.9383	0.0225	41.67	0.000
Constant	1.4365	0.4792	3.05	0.003

$s = 0.6386$ $R\text{-sq} = 90.2\%$ $R\text{-sq (adj)} = 90.2\%$

- A) What is the slope for the regression equation? **0.9383** y-intercept? **1.4365**
- B) Write the regression equation in context.
predicted left hand span = 1.4365 + 0.9383(right hand span)
- C) Interpret the slope in context.
For each increase of 1 "unit" in right hand span, we predict an increase of 0.9383 "units" in left hand span.
- D) What is the correlation coefficient? Interpret in context.
 $r = 0.9497$
There is a very strong, positive, association between right hand span and left hand span.
- E) Interpret $R\text{-sq}$ in context.
90.2% of the variability in left hand span can be explained by the linear model for right hand span and left hand span.
- F) Interpret s_e in context.
0.6386 "units" is the typical amount that the predicted left hand span deviates from the actual left hand span.
4. The difference in average age (men's age – women's age) at first marriage is plotted for the years 1975 to 1998. The scatterplot of the data appears fairly linear. Computer output:

Dependent variable: Men – Women

Variable	Coef	SE(Coef)	t-ratio	p-value
Intercept	49.0021	10.93	4.56	0.0002
Year	-0.0239	0.0055	-4.35	0.0003

$s = 0.1866$ $R\text{-sq} = 46.3\%$ $R\text{-sq (adj)} = 46.1\%$

- A) What is the slope for the regression equation? **-0.0239** y-intercept? **49.0021**
- B) Write the regression equation in context.
predicted age difference of men - women = 49.0021 - 0.0239(year)
- C) Interpret the slope in context.
For each increase of 1 year, we predict a decrease of 0.0239 in the average age difference of men's age - women's age at first marriage.
- D) What is the correlation coefficient? Interpret in context.
 $r = -0.680$
There is a moderate, negative, association between year and average age difference of men's age - women's age at first marriage.
- E) Interpret $R\text{-sq}$ in context.
46.3% of the variability in average age difference of men's age - women's age can be explained by the linear model for year and average age difference of men's age - women's age.
- F) Interpret s_e in context.
0.1866 is the typical amount that the predicted average age difference deviates from the actual average age difference between men and women at first marriage.