

2. **Stereograms.** Stereograms appear to be composed entirely of random dots. However, they contain separate images that a viewer can "fuse" into a three-dimensional (3D) image by staring at the dots while defocusing the eyes. An experiment was performed to determine whether knowledge of the form of the embedded image affected the time required for subjects to fuse the images. One group of subjects (group NV) received no information or just verbal information about the shape of the embedded object. A second group (group VV) received both verbal information and visual information (specifically, a drawing of the object). The experimenters measured how many seconds it took for the subject to report that he or she saw the 3D image.

2-Sample t-Interval for $\mu_1 - \mu_2$

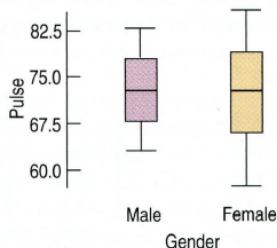
Conf level = 90% df = 70

$\mu(NV) - \mu(VV)$ interval: [0.55, 5.47]

- Interpret your interval in context.
- Does it appear that viewing a picture of the image helps people "see" the 3D image in a stereogram?
- What's the margin of error for this interval?
- Explain carefully what the 90% confidence level means.
- Would you expect a 99% confidence level to be wider or narrower? Explain.
- Might that change your conclusion in part b? Explain.

6. **Pulse rates.** A researcher wanted to see whether there is a significant difference in resting pulse rates for men and women. The data she collected are displayed in the boxplots and summarized below.

	Sex	
	Male	Female
Count	28	24
Mean	72.75	72.625
Median	73	73
StdDev	5.37225	7.69987
Range	20	29
IQR	9	12.5



- What do the boxplots suggest about any gender differences in pulse rates?
- Is it appropriate to analyze these data using the methods of inference discussed in this chapter? Explain.
- Create a 90% confidence interval for the difference in mean pulse rates.
- Does the confidence interval confirm your answer to part a? Explain.

7. **Cereal.** The data below show the sugar content (as a percentage of weight) of several national brands of children's and adults' cereals. Create and interpret a 95% confidence interval for the difference in mean sugar content. Be sure to check the necessary assumptions and conditions.

Children's cereals: 40.3, 55, 45.7, 43.3, 50.3, 45.9, 53.5, 43, 44.2, 44, 47.4, 44, 33.6, 55.1, 48.8, 50.4, 37.8, 60.3, 46.6

Adults' cereals: 20, 30.2, 2.2, 7.5, 4.4, 22.2, 16.6, 14.5, 21.4, 3.3, 6.6, 7.8, 10.6, 16.2, 14.5, 4.1, 15.8, 4.1, 2.4, 3.5, 8.5, 10, 1, 4.4, 1.3, 8.1, 4.7, 18.4

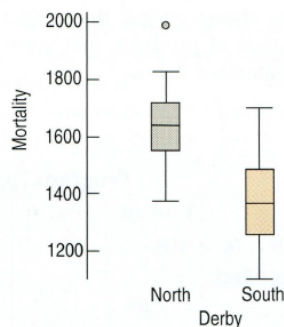
16. **Hard water.** In an investigation of environmental causes of disease, data were collected on the annual mortality rate (deaths per 100,000) for males in 61 large towns in England and Wales. In addition, the water hardness was recorded as the calcium concentration (parts per million, ppm) in the drinking water. The data set also notes for each town whether it was south or north of Derby. Is there a significant difference in mortality rates in the two regions? Here are the summary statistics.

Summary of:

For categories in:

Group	Count	mortality		
		Derby		
		Mean	Median	StdDev
North	34	1631.59	1631	138.470
South	27	1388.85	1369	151.114

- Test appropriate hypotheses and state your conclusion.
- The boxplots of the two distributions show an outlier among the data north of Derby. What effect might that have had on your test?



32. **Music and memory.** Is it a good idea to listen to music when studying for a big test? In a study conducted by some Statistics students, 62 people were randomly assigned to listen to rap music, music by Mozart, or no music while attempting to memorize objects pictured on a page. They were then asked to list all the objects they could remember. Here are summary statistics for each group:

	Rap	Mozart	No Music
Count	29	20	13
Mean	10.72	10.00	12.77
SD	3.99	3.19	4.73

- Does it appear that it is better to study while listening to Mozart than to rap music? Test an appropriate hypothesis and state your conclusion.
- Create a 90% confidence interval for the mean difference in memory score between students who study to Mozart and those who listen to no music at all. Interpret your interval.

22. **Catheters.** During an angiogram, heart problems can be examined via a small tube (a catheter) threaded into the heart from a vein in the patient's leg. It's important that the company who manufactures the catheter maintain a diameter of 2.00 mm. (The standard deviation is quite small.) Each day, quality control personnel make several measurements to test $H_0: \mu = 2.00$ against $H_A: \mu \neq 2.00$ at a significance level of $\alpha = 0.05$. If they discover a problem, they will stop the manufacturing process until it is corrected.

- Is this a one-sided or two-sided test? In the context of the problem, why do you think this is important?
- Explain in this context what happens if the quality control people commit a Type I error.
- Explain in this context what happens if the quality control people commit a Type II error.

24. **Catheters again.** The catheter company in Exercise 22 is reviewing its testing procedure.

- Suppose the significance level is changed to $\alpha = 0.01$. Will the probability of Type II error increase, decrease, or remain the same?
- What is meant by the power of the test the company conducts?
- Suppose the manufacturing process is slipping out of proper adjustment. As the actual mean diameter of the catheters produced gets farther and farther above the desired 2.00 mm, will the power of the quality control test increase, decrease, or remain the same?
- What could they do to improve the power of the test?